

Unique opportunities to measure proton elastic form factors at EIC

Jan C. Bernauer

EIC UG Meeting, July 2016



Massachusetts Institute of Technology

Cross section and form factors for elastic lepton-proton scattering

The cross section:

$$\frac{\left(\frac{d\sigma}{d\Omega}\right)}{\left(\frac{d\sigma}{d\Omega}\right)_{\text{Mott}}} = \frac{1}{\varepsilon(1+\tau)} \left[\varepsilon G_E^2(Q^2) + \tau G_M^2(Q^2) \right]$$

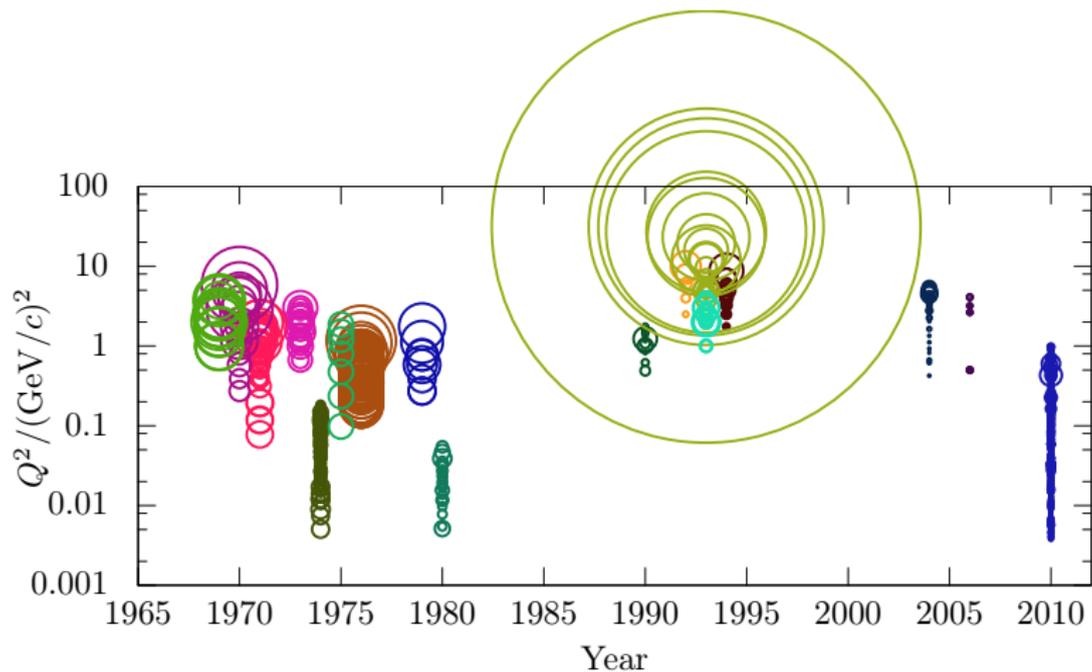
with:

$$\tau = \frac{Q^2}{4m_p^2}, \quad \varepsilon = \left(1 + 2(1+\tau) \tan^2 \frac{\theta_e}{2} \right)^{-1}$$

Fourier-transform of $G_E, G_M \longrightarrow$ spatial distribution (Breit frame)

$$\langle r_E^2 \rangle = -6\hbar^2 \left. \frac{dG_E}{dQ^2} \right|_{Q^2=0} \quad \langle r_M^2 \rangle = -6\hbar^2 \left. \frac{d(G_M/\mu_p)}{dQ^2} \right|_{Q^2=0}$$

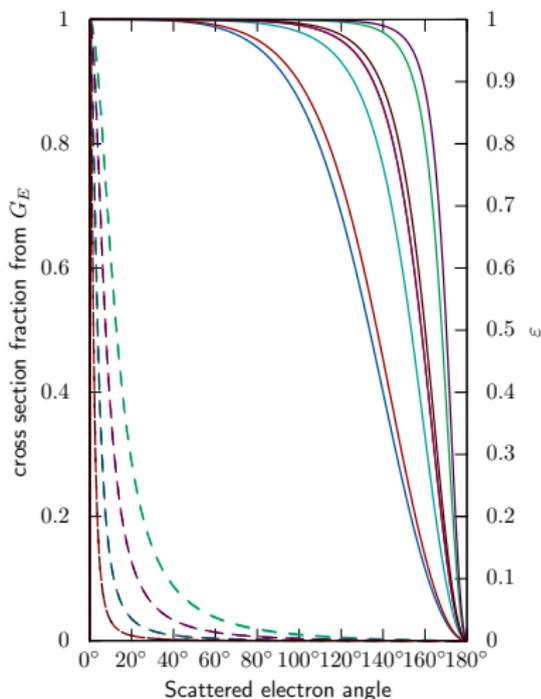
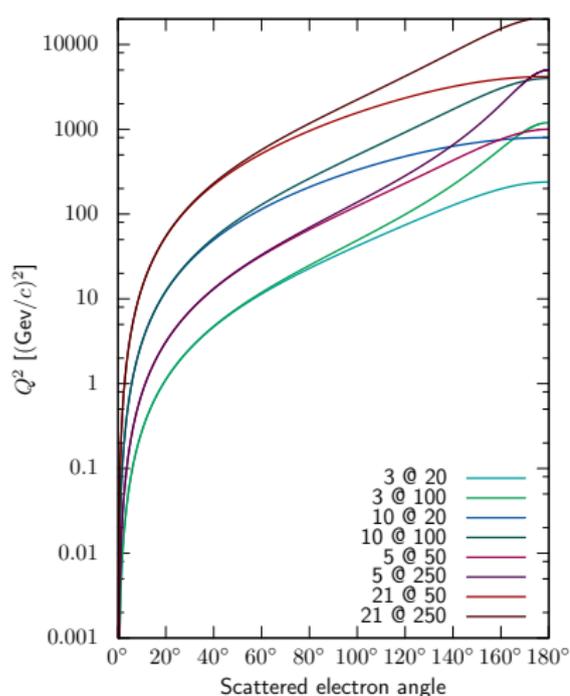
History of unpolarized electron-proton scattering



- | | | | | |
|-------------|-------------|------------|---------|----------|
| ○ Andivahis | ○ Borkowski | ○ Janssens | ○ Rock | ○ Walker |
| ○ Bartel | ○ Bosted | ○ Litt | ○ Sill | |
| ○ Berger | ○ Christy | ○ Price | ○ Simon | |
| ○ Bernauer | ○ Goitein | ○ Qattan | ○ Stein | |

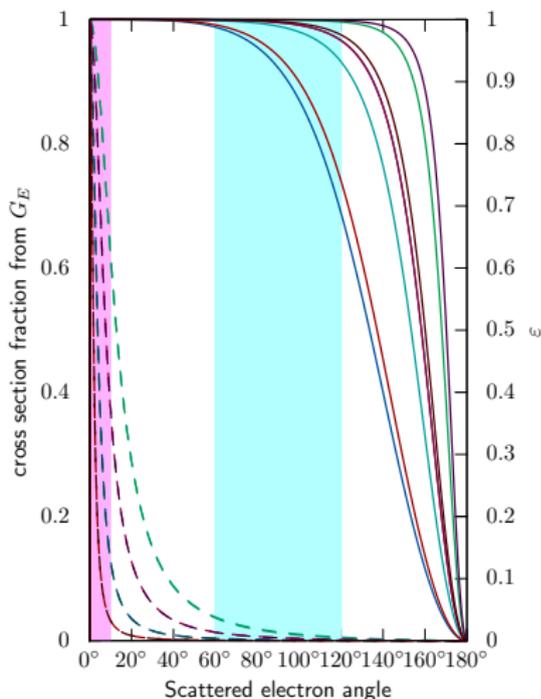
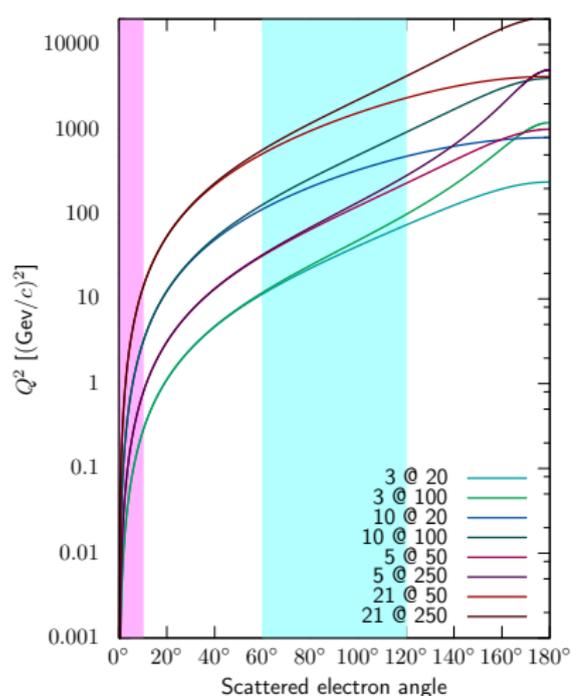
Collider kinematics

Idea from C. Sofiatti and T. W. Donnelly, "Polarized e-p Elastic Scattering in the Collider Frame," Phys. Rev. C 84, 014606 (2011)



Collider kinematics

Idea from C. Sofiatti and T. W. Donnelly, "Polarized e-p Elastic Scattering in the Collider Frame," Phys. Rev. C 84, 014606 (2011)



G_M at large Q^2

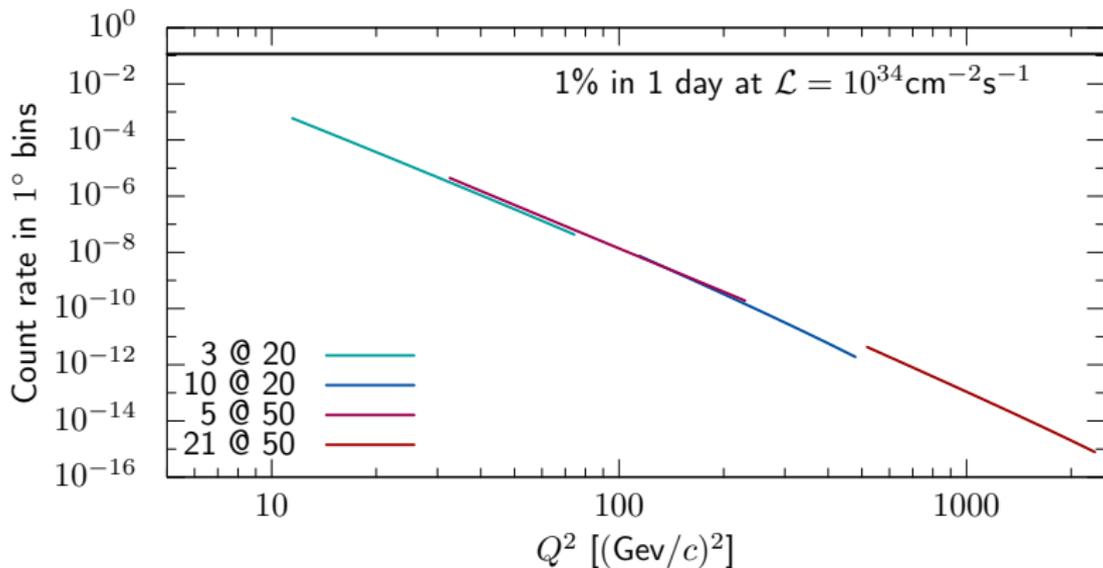
Motivation

- Not much data at high Q^2 . Does G_M cross 0?
- clean signal
- $\varepsilon \sim 1$: Two photon exchange suppressed

G_M at large Q^2

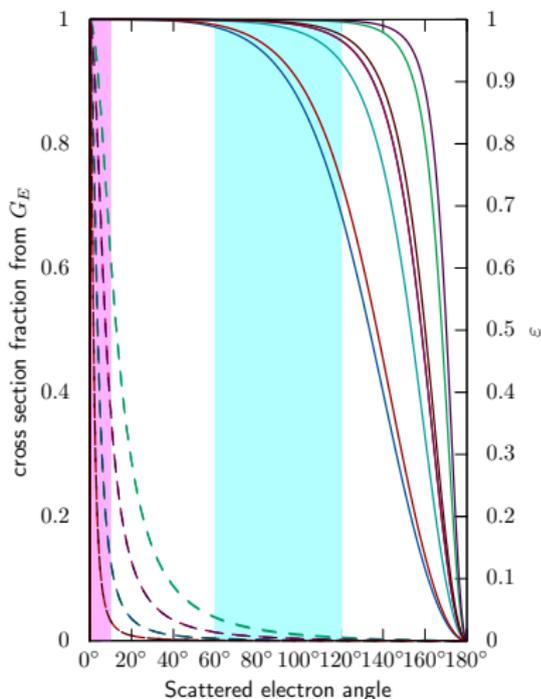
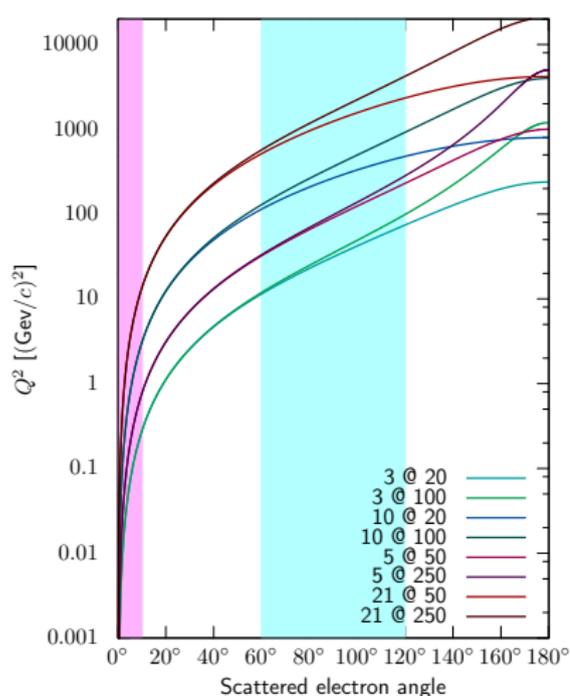
Motivation

- Not much data at high Q^2 . Does G_M cross 0?
- clean signal
- $\varepsilon \sim 1$: Two photon exchange suppressed

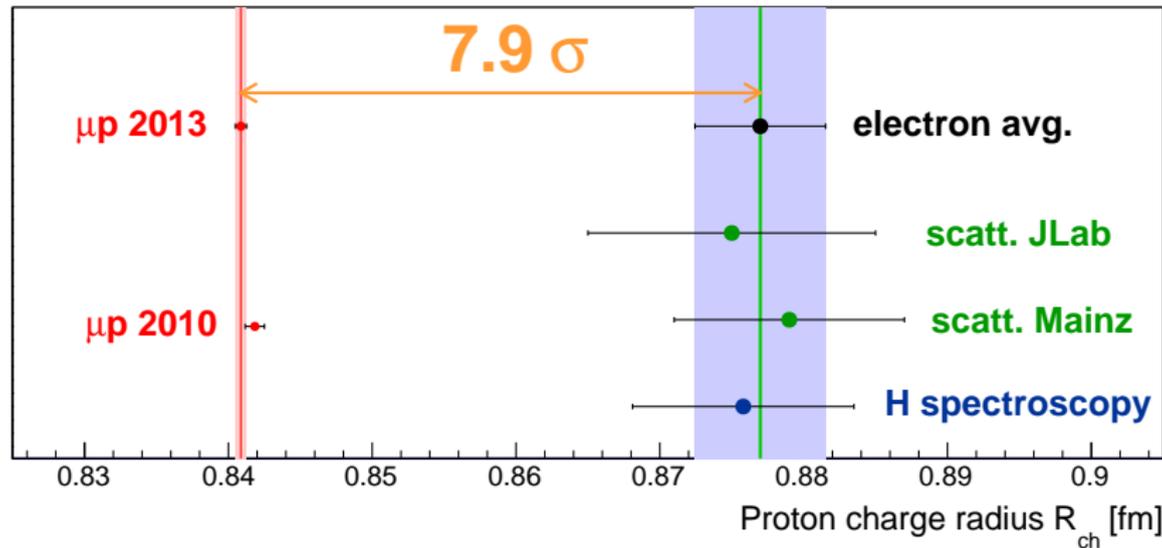


Collider kinematics

Idea from C. Sofiatti and T. W. Donnelly, "Polarized e-p Elastic Scattering in the Collider Frame," Phys. Rev. C 84, 014606 (2011)



The Proton Puzzle



The Proton Puzzle



The Proton Puzzle

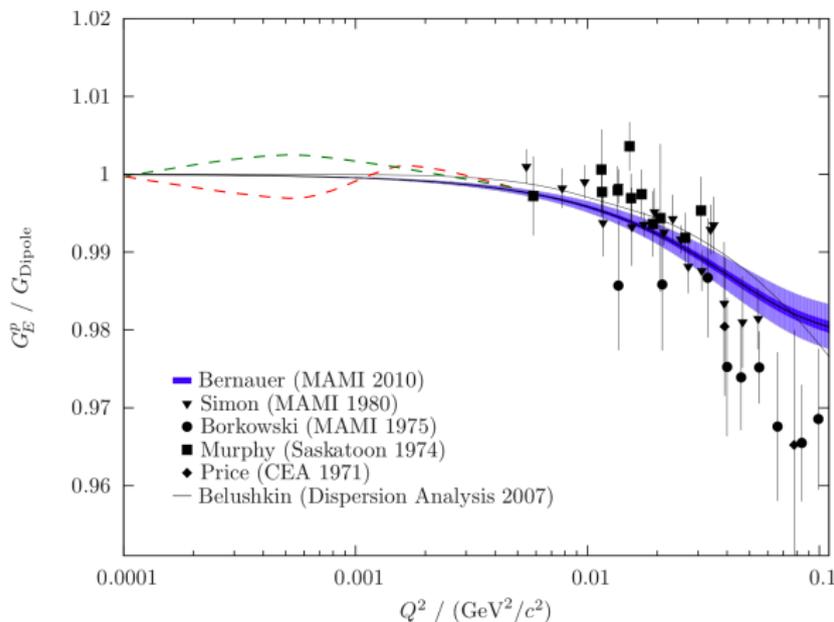


From the 2014 Review of Particle Physics

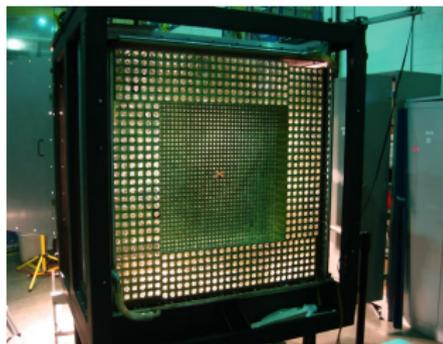
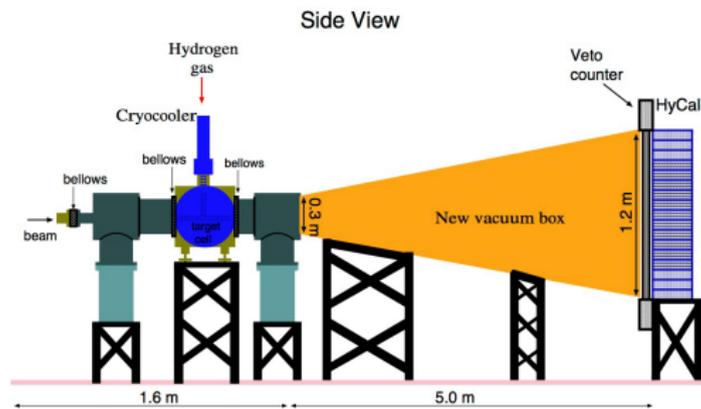
Until the difference between the $e p$ and μp values is understood, it does not make sense to average the values together. For the present, we give both values. *It is up to the workers in this field to solve this puzzle.*



Form factors at very small Q^2

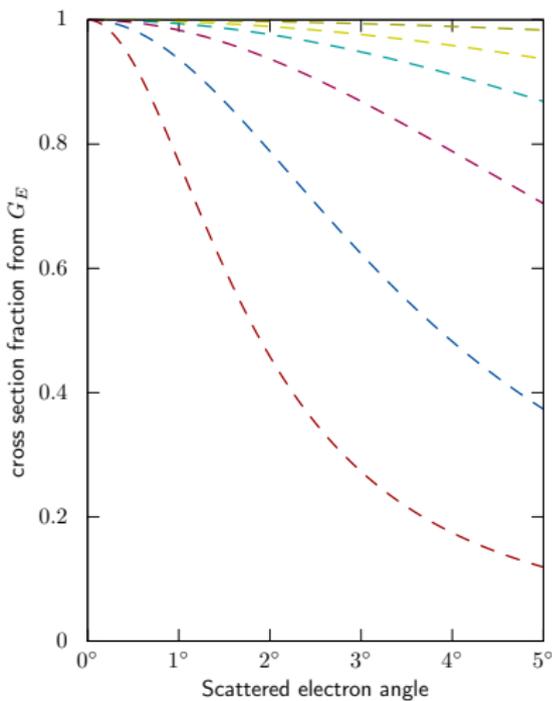
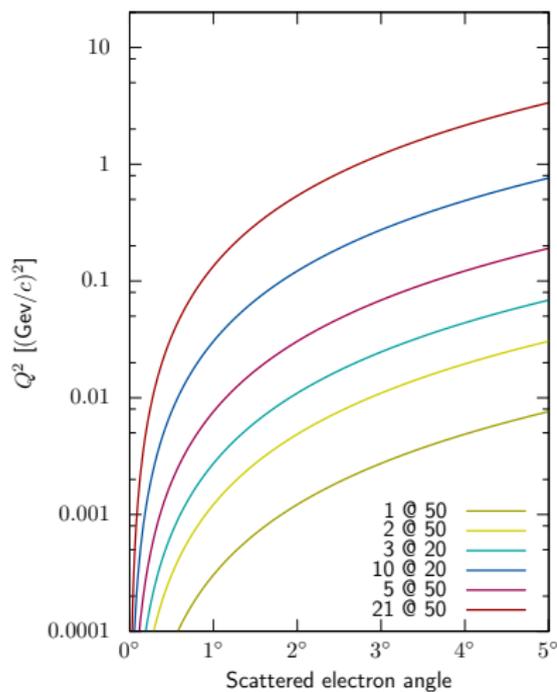


- Is extrapolation invalid?
- Structure at low Q^2 ?



- High resolution, large acceptance hybrid calorimeter+GEM
- Windowless target
- Simultaneous measure $ep \rightarrow ep$ and Møller scattering
- Q^2 range: 2×10^{-4} to 2×10^{-2} $(\text{GeV}/c)^2$

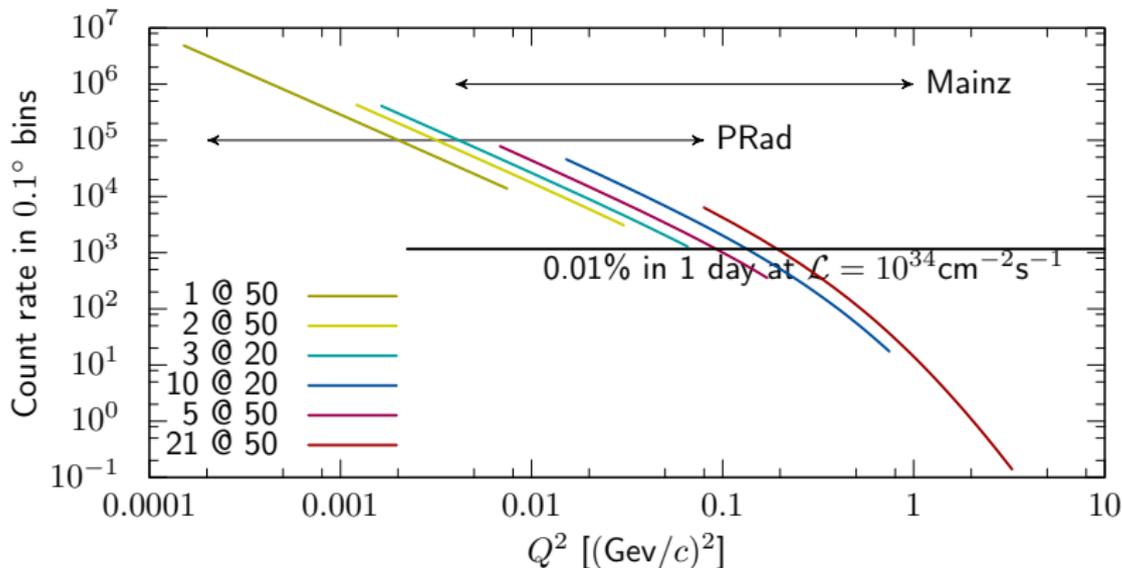
G_E at small Q^2



G_E at small Q^2 : benefits and feasibility

Benefits

- $\varepsilon = 1$, no hard Two-Photon-Exchange
- minimal contribution from G_M
- No background



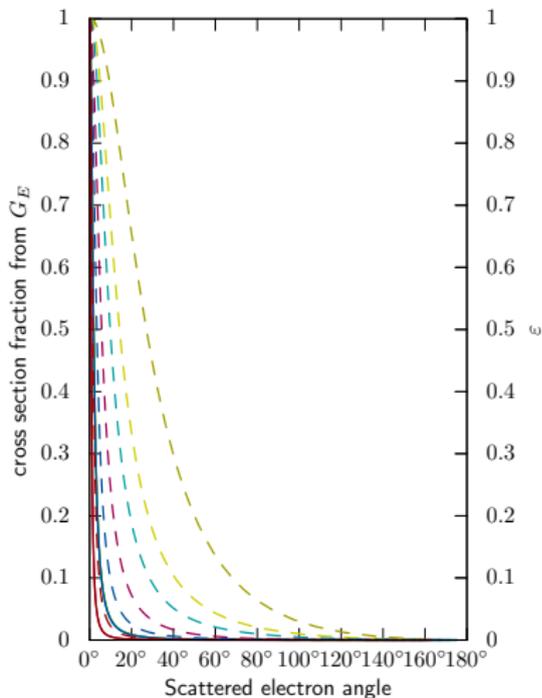
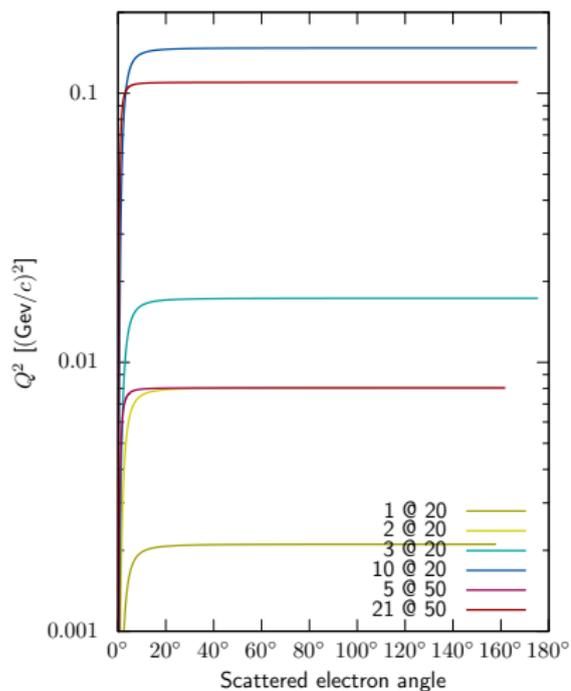
“Race” kinematics

- Collider kinematics: Project out forward angles of fixed target frame
- Can we access backward angles?

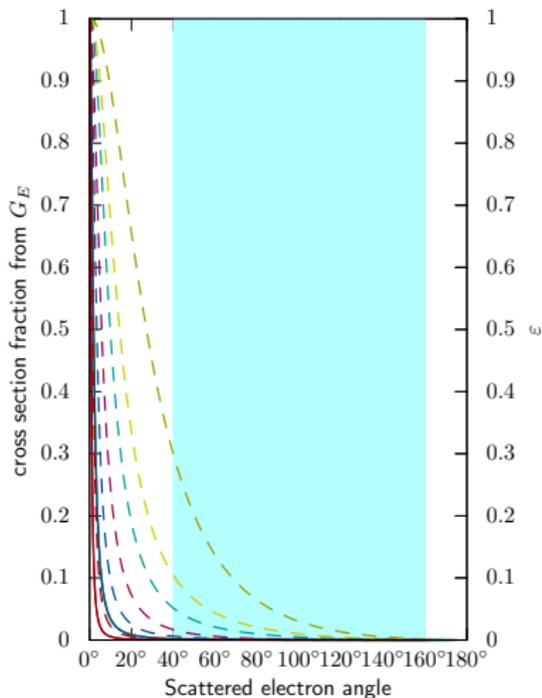
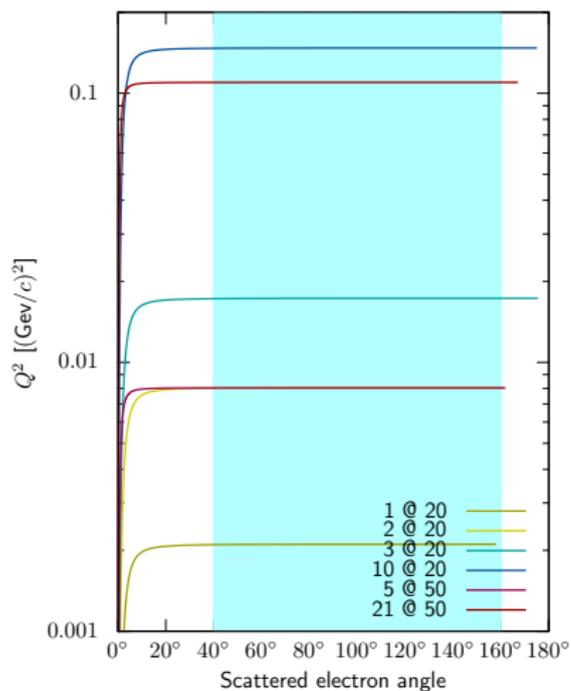
“Race” kinematics

- Collider kinematics: Project out forward angles of fixed target frame
- Can we access backward angles?
- Yes! Have same direction for proton and lepton!
Lepton races the proton (and proton loses)
- Technically feasible?! Reverse electron ring or use positrons!

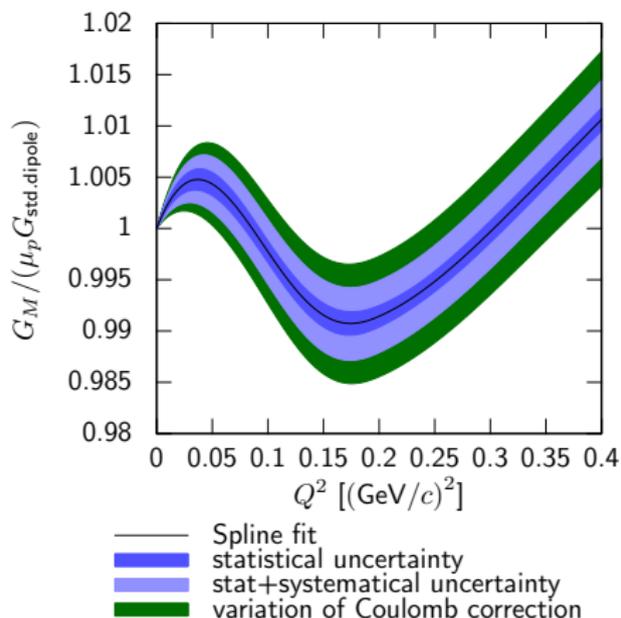
"Race" kinematics: Possibilities



"Race" kinematics: Possibilities

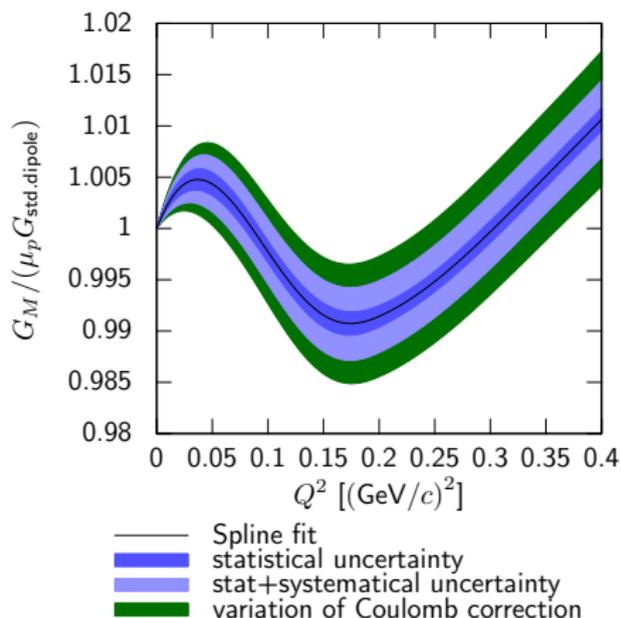


Proton magnetic form factor



- Up-Down-Up structure
- Not seen before
 - Older fits approach from below
 - Lack of data
- Gives rise to small r_m
- Sensitive to radiative corrections

Proton magnetic form factor



- Up-Down-Up structure
- Not seen before
 - Older fits approach from below
 - Lack of data
- Gives rise to small r_m
- **Sensitive to radiative corrections**

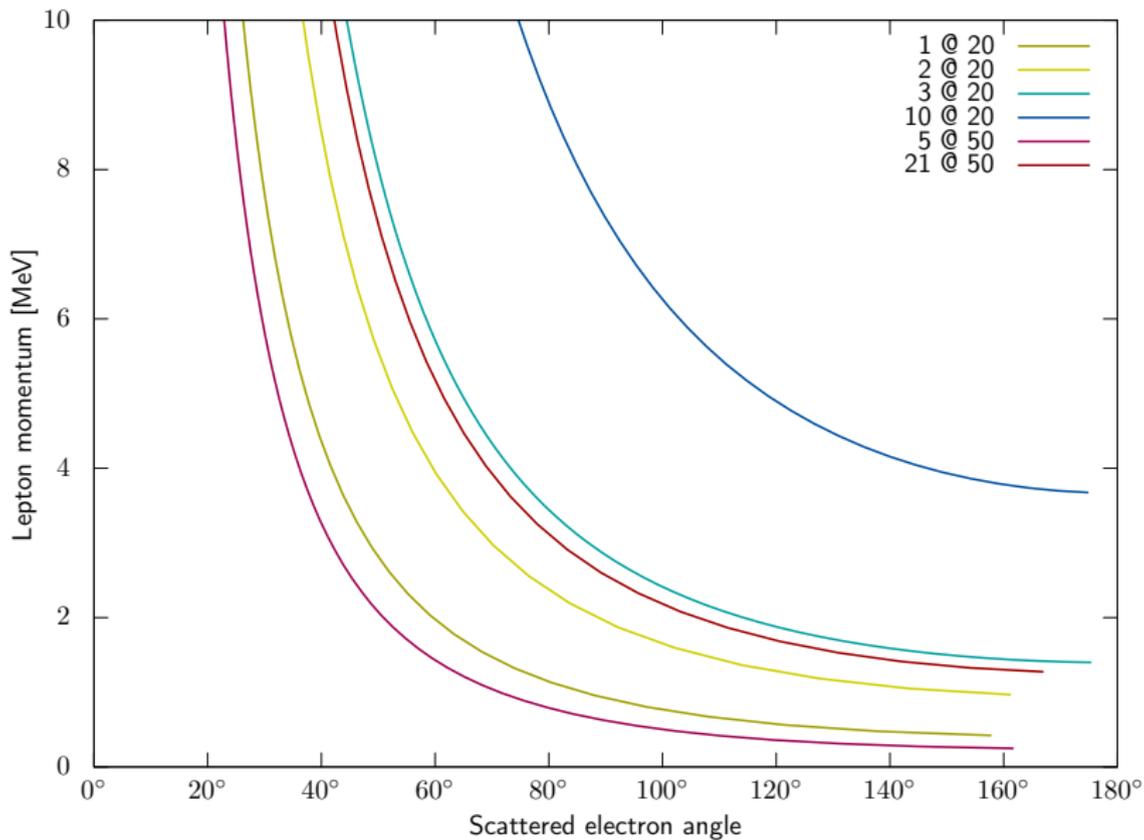
Benefits

- $\varepsilon = 0$, no G_E contribution (but two-photon exchange!)
- completely different systematic

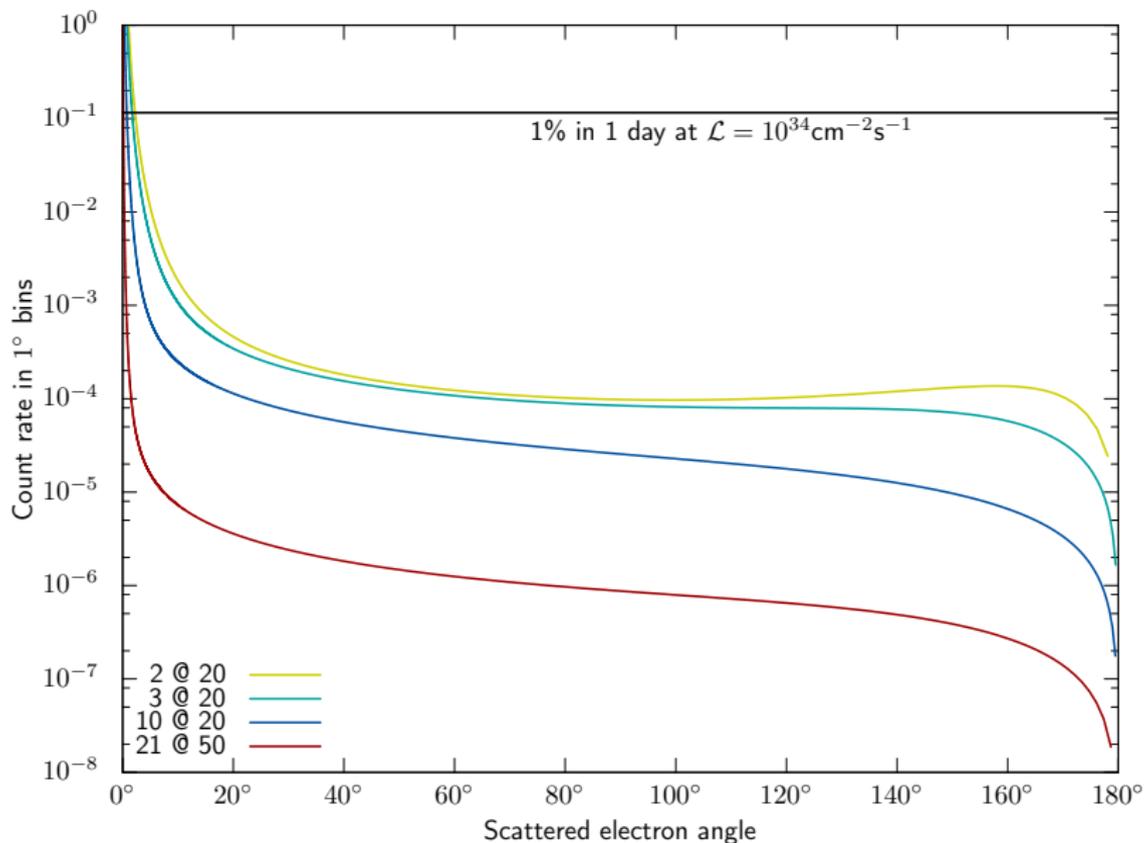
Challenges

- Low particle momentum
- Count rate

"Race" kinematics: particle momentum



"Race kinematics: luminosity



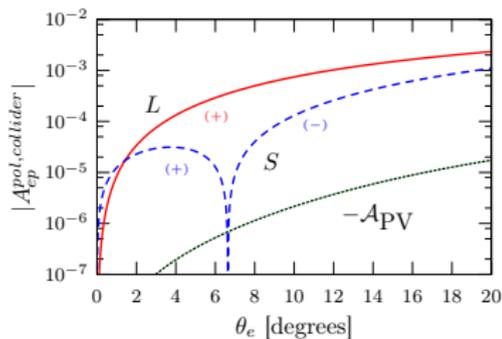
Now he has gone completely mad!

- In principle: Want to have different ε
- Vary angle between incoming beams!
- Technically “challenging”

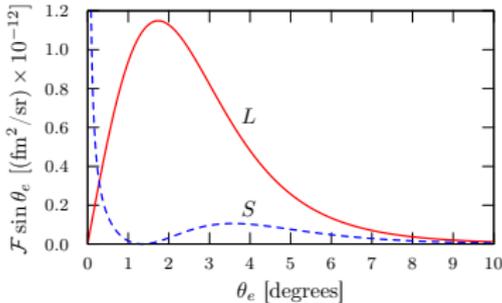
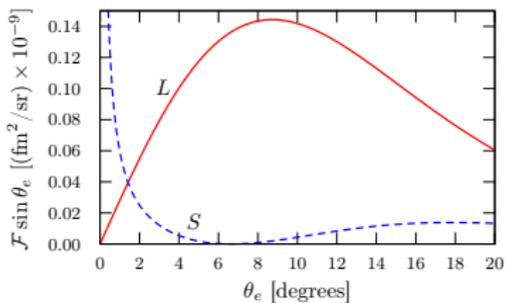
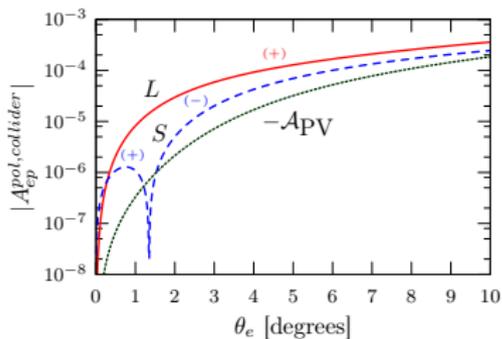
Polarization variables

Blatantly stolen from C. Sofiatti and T. W. Donnelly, "Polarized e-p Elastic Scattering in the Collider Frame," Phys. Rev. C 84, 014606 (2011)

2 @ 50 GeV



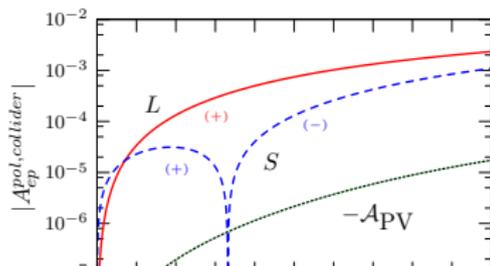
10 @ 250 GeV



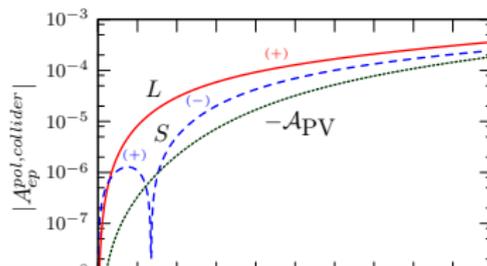
Polarization variables

Blatantly stolen from C. Sofiatti and T. W. Donnelly, "Polarized e-p Elastic Scattering in the Collider Frame," Phys. Rev. C 84, 014606 (2011)

2 @ 50 GeV

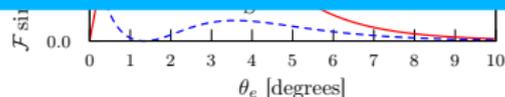
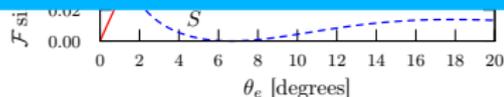


10 @ 250 GeV



Opportunities

- Can study e/m form factor ratios
- Or: Take from fixed target experiments
⇒ measurement of beam polarization product
- PV also in reach



Conclusion

Collider kinematics

- Small Q : Can measure G_E for radius, clean signal
- Large Q : G_M reachable, but low count rate

"Race" kinematics

- Very unusual kinematical region
- G_M at small Q , unique opportunity for magnetic radius

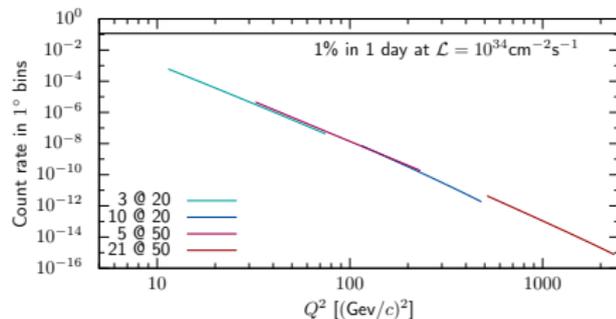
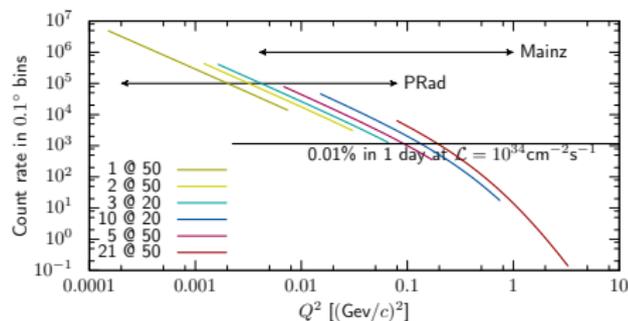
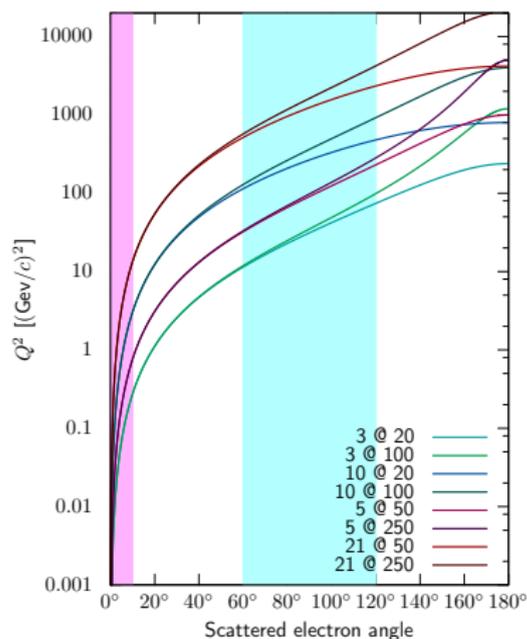
Polarization

- Double asymmetry: Use as a polarimeter
- PV reachable

To-do

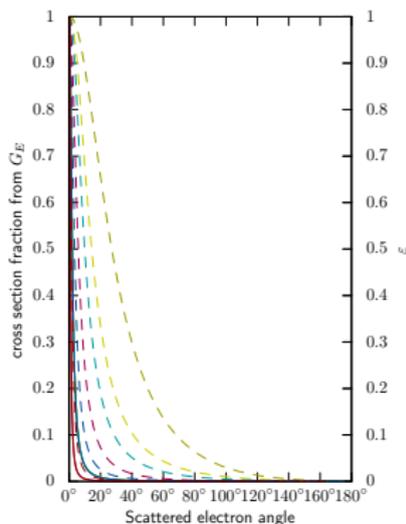
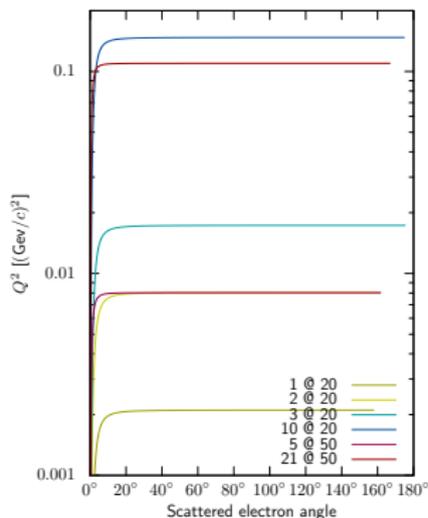
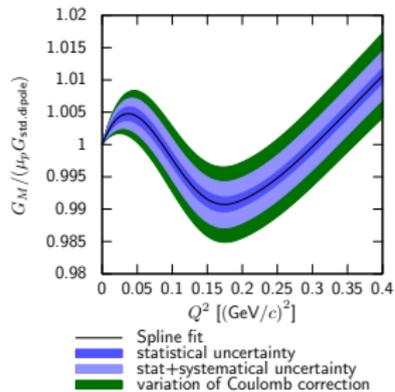
- Experimental feasibility: Backgrounds, PID etc.

F.F. summary: Collider kinematics



- Can measure proton electric radius without Two-Photon-Exchange effects
- G_M at large Q^2 : count rate very small

F.F. summary: "Race" kinematics

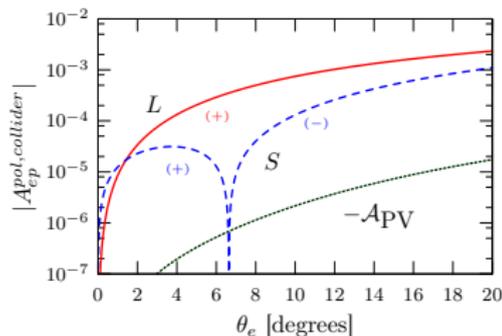


- Unique opportunity to measure low- Q^2 G_M and magnetic radius

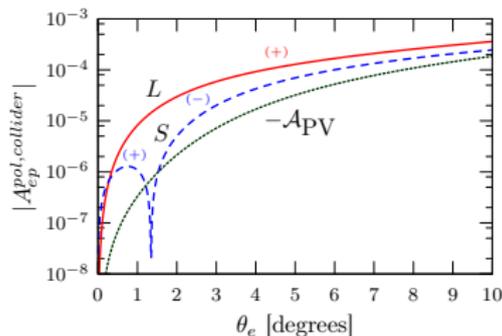
F.F. summary: Polarization variables

Blatantly stolen from C. Sofiatti and T. W. Donnelly, "Polarized e-p Elastic Scattering in the Collider Frame," Phys. Rev. C 84, 014606 (2011)

2 @ 50 GeV



10 @ 250 GeV



- Can study e/m form factor ratios
- Or: Take from fixed target experiments
⇒ measurement of beam polarization product
- PV also in reach